

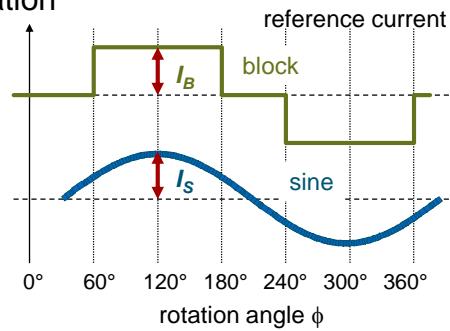
## Sinusoidal commutation: Motor data

- Motor data in the catalog for block commutation
- Reference current amplitude
  - for block commutation:  $I_B$ .
  - for sine commutation:  $I_S$ . (amplitude)
- Power losses in winding

$$P_{loss} = 2 \cdot R \cdot I_B^2 = \frac{3}{2} \cdot R \cdot I_S^2$$

- the nominal current amplitude (sinusoidal) is higher than the nominal current (catalog)

$$I_{N,S} = \frac{2}{\sqrt{3}} \cdot I_{N,B} \cong 1.15 I_{N,B}$$



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## Sinusoidal commutation: Operation range

### – Torque constants

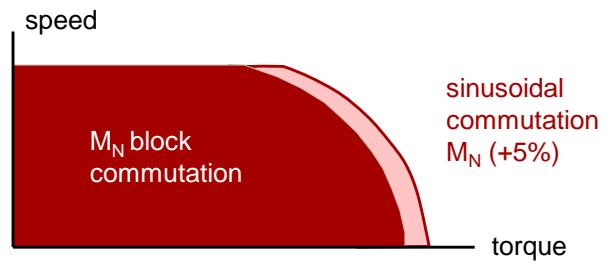
$$\left. \begin{array}{l} \text{block commutation in catalog} \quad k_{M,B} = \frac{\bar{M}}{I_B} \\ \text{sinusoidal commutation} \quad k_{M,S} = \frac{M}{I_S} \end{array} \right\} k_{M,S} = \frac{\pi}{2\sqrt{3}} k_{M,B} \cong 0.9 k_{M,B}$$

Torque constant is «smaller» with sinusoidal commutation.  
→ «More» current needed for the same torque.

### – Continuous operation range

- slightly larger
- max. cont. torque higher

$$\begin{aligned} M_{N,S} &= k_{M,S} \cdot I_{N,S} \\ M_{N,S} &= \frac{\pi}{2\sqrt{3}} k_{M,B} \cdot \frac{2}{\sqrt{3}} I_{N,B} \cong 1.05 M_{N,B} \end{aligned}$$



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